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Corrigendum

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(a) After the proof of Proposition 5, we say that a de Branges space is given by an arbitrary entire function $e(z)$. In fact, this function must be entire and satisfy $|e(z)| > |e(\bar{z})|$ for z in the upper half plane.

(b) At the end of section 4, we write $e(z) = a(z) + ib(z)$. This function is usually written as $e(z) = a(z) - ib(z)$, with $a(z) := \frac{e(z)+e^*(z)}{2}$ and $b(z) := i\frac{e(z)-e^*(z)}{2}$.

(c) Concerning our discussion on the notion of the Nyquist rate in section 6, we should mention that there is indeed a natural generalization of that notion, the so-called Beurling densities.

(d) At the end of section 6, we discuss scenarios for optimal stable sampling. If results analogous to Kadets's $1/4$ theorem hold, then optimal sampling may occur not only when the sequence $\{a_n\}_{n\in\mathbb{Z}}$ is the spectrum of a self-adjoint extension of A.

A reference relevant to items (c) and (d) is Kristian Seip 2004 *Interpolation and Sampling in Spaces of Analytic Functions, University Lecture Series vol 33* (Providence, RI: Am. Math. Soc.)